

ON A HYBRID SCALE MODEL OF DOSE-RESPONSE RELATIONSHIPS  
UNIVERSALLY APPLIED TO VARIOUS DATA OF IONIZING RADIATION  
EXPOSURE

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**OBJECTIVE** To evaluate the low dose risk, this is to develop a widely applied method for dose-response data, using a hybrid scale (HS) model that integrates multiplicative and additive interactions.

**METHOD** The incidence is given by  $I(D) = \exp [\alpha + \beta \text{hyb}(\tau D)] S(D)$ , similar to a generalized L-Q dose-response relationship for radiation-induced cancer in the Annex B of the UNSCEAR 1986 Report. Where  $D$  is the dose;  $\alpha$  and  $\beta$  are model parameters;  $\tau$  is the effect modifier which changes from a power function to an exponential dose-response;  $\text{hyb}(\tau D)$  is the hybrid function defined as  $\tau D + \log(\tau D)$ ;  $S(D)$  is the survival probability of cells having an inactivation constant  $\lambda$  and a feedback parameter  $\rho$  for repairing the sublethal damaged cells given by  $dS/dD = -\lambda S / (1 + \rho S)$  or  $\text{hyb}(\rho S) = \delta - \lambda D$ , where  $\delta = \text{hyb}(\rho)$  if  $S = 1$  at  $D = 0$ . These models are called the Generalized Hybrid Scale (GHS) model for  $I(D)$ , the Hybrid Scale (HS) models for  $S(D)$  and  $F(D)$ , respectively.

The hybrid scale consists of a log scale, a linear scale and their intermediate (purely hybridized) scale and has a positive parameter e.g.,  $\rho$  or  $\tau$ . The concept of hybrid scale is important for identifying the effective range of risk control for defense biological systems and radiation protection.

**RESULTS** Based on the data of Elkind and Sutton (1960), the HS model of  $S(D)$  confirmed the good fitting and interpretation of repair ability according to the split time. The HS model of  $F(D)$  has been demonstrated to confirm the good fit and consistency among various data including transformations per surviving cell (Borek, 1984). Based on data of reciprocal translocations per cell (0 – 1,200 r) by Preston and Brewen (1973), the GHS model resulted in good fitting, including decomposed  $S(D)$  and  $F(D)$  from  $I(D)$ . The GHS model fits very well to the data: Myeloid leukemia incidence of mice (Mole, 1984; Majo et al, 1986); LSS leukemia mortality (Shimizu et al. 1990), LSS solid cancer mortality (Ozasa et al., 2012) and incidence (Preston et al. 2007; Grant et al., 2017), others. The GHS model provided a consistent estimate of the parameters between males and females in the data reported in detail by Grant et al.

**CONCLUSION** The HS model of  $S(D)$  was confirmed to be valid by data of Elkind and Sutton (1960). The HS model of  $F(D)$  and GHS model was confirmed to be useful by various data (Preston and Brewen 1973; LSS leukemia and solid cancer data).